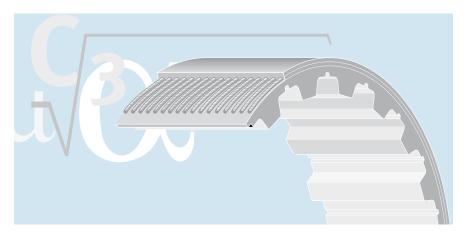
# siegling proposition

timing belts

## Calculation methods



You can find detailed information on Siegling Proposition high quality timing belts in the overview of the range (ref. no. 245).

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## Formulae

## 1. Forces

Symbol	Designation	Unit	Calculation/Remarks
Effective pull to be transmitted	F <sub>U</sub>	N	$F_{U} = \frac{2 \cdot 10^{3} \cdot T}{d_{0}} = \frac{19.1 \cdot 10^{6} \cdot P}{n \cdot d_{0}}$ $= \frac{10^{3} \cdot P}{v}  [N]$ $F_{U} = F_{A} + F_{H} + F_{R} [N]$
Accelerating force	F <sub>A</sub>	N	$F_A = m \cdot a [N]$
Lifting power	F <sub>H</sub>	N	$F_H = m \cdot g \cdot \sin \alpha$ [N] (sin $\alpha$ for inclined conveying)
Frictional force (µ values table 4)	$F_R$	N	$F_R = m \cdot \mu \cdot g [N] (g = 9.81 \text{ m/s}^2)$
Maximum effective pull	F <sub>U max</sub>	N	$F_{U max} = F_U \cdot (c_2 + c_3) [N]$
Specific effective pull required	F' <sub>U req</sub>	N	$F'_{U req} = F_{U max}/c_1[N]$
Specific effective pull	F'υ	N	from calculation sheet
Pretensioning force	F <sub>V</sub>	N	$F_V \ge 0.5 \cdot F_{U \text{ max}}[N]$ (2-pulley drives)
			$F_V \ge F_{U \text{ max}}[N]$ (linear drives)
Force determining belt selection	F <sub>B</sub>	N	$F_B = F_{U \max} + F_{V}[N]$
Permissible tension member load	F <sub>per</sub>	N	Table value from calculation sheet
External force	F	N	
Static shaft load	F <sub>WS</sub>	N	$F_{WS} = 2 \cdot F_V [N]$ (2-pulley drives)

## 2. Masses

Symbol	Designation	Unit	Calculation/Remarks
Mass to be moved	m	kg	$m = m_R + m_L + m_{Z red} + m_{S red} [kg]$
Mass of belt	$m_R$	kg	$m_R = m'_R \cdot l/1000 [kg];$
Belt weight per metre	m' <sub>R</sub>	kg/m	Table value from calculation sheet
Mass of linear slide	$m_L$	kg	
Mass of timing belt pulley	$m_Z$	kg	$m_Z = \frac{(d_k^2 - d^2) \cdot \pi \cdot b \cdot \rho}{4 \cdot 10^6}$ [kg]
Reduced mass of timing belt pulley	m <sub>Z red</sub>	kg	$m_{Zred} = \frac{m_Z}{2} \cdot \left[ 1 + \frac{d^2}{d_k^2} \right] [kg]$
Mass of take-up pulley	$m_S$	kg	$m_S = \frac{(d_S^2 - d^2) \cdot \pi \cdot b \cdot \rho}{4 \cdot 10^6} \text{ [kg]}$
Reduced mass of take-up pulley	$m_{Sred}$	kg	$m_{Sred} = \frac{m_S}{2} \cdot \left[ 1 + \frac{d^2}{d_S^2} \right] [kg]$



## 3. Measurements

Symbol De	esignation	Unit	Calculation/Remarks
Bore diameter	d	mm	
Pitch diameter	$d_0$	mm	$d_0 = z \cdot t/\pi$ [mm], catalogue value
Outside diameter	$d_k$	mm	Catalogue value of timing belt pulley supplier
Take-up pulley diameter	$d_s$	mm	
Width of timing belt pulley, take-up pulle	y b	mm	
Belt width	$b_0$	mm	
Belt length untensioned	I	mm	for i = 1:
for 2-shaft drives			$I = 2 \cdot e + \pi \cdot d_0 = 2 \cdot e + z \cdot t \text{ [mm]}$
			for i ≠ 1:
			$I = \frac{t \cdot (z_2 + z_1)}{2} + 2e + \frac{1}{4e} \left[ \frac{t \cdot (z_2 - z_1)}{\pi} \right]^2$
Belt length general		mm	$I = z \cdot t \text{ [mm]}$
Clamping length per belt end	$I_k$	mm	for AdV 07
Centre distance (exact)	е	mm	is calculated from l
Centre distance (exact)	Δe	mm	Rotating 2-pulley drives and
			2-pulley linear drives
			(AdV 07clamped):
			$\Delta e = \frac{F_V \cdot I}{2 \cdot c_{spec}}  [mm]$
			Clamped belt (AdV 07)
			Ade e and a second seco
			$\Delta e = \frac{F_V \cdot I}{c_{\text{spec}}} [mm]$
Positioning deviation under influence of external forces	Δs	mm	$\Delta s = \frac{F}{c}$ [mm]; $\Delta s_{min} = \frac{F}{c_{max}}$ [mm]
Belt pitch	t	mm	Centre distance of adjacent teeth

## 4. Constants and Coefficients

Symbol	Designation	Unit	Calculation/Remarks
Density	ρ	kg/dm³	e.g. pulley material
Friction coefficient	μ		Depends on friction pairing; see table 4
Teeth in mesh factor; number of teeth involved in power flux	c <sub>1</sub>		$i = 1$ ; $c_1 = z/2$ $i \neq 1$ ; $c_1 = \frac{z_1}{180} \cdot \arccos \frac{(z_2 - z_1) \cdot t}{2 \cdot \pi \cdot e}$
Operational factor	C <sub>2</sub>		Note c <sub>1 max</sub> table 1! Table 2
Acceleration factor	C <sub>3</sub>		Table 3

# Formulae

## 5. Quantities of Motion

Symbol	Designation	Unit	Calculation/Remarks
Speed (RPM)	n	min <sup>-1</sup>	$n = \frac{v \cdot 19, 1 \cdot 10^3}{d_0}  [min^{-1}]$
Belt speed	v	m/s	$v = \frac{d_0 \cdot n}{19.1 \cdot 10^3} = \sqrt{\frac{2 \cdot s_a \cdot a}{1000}} [m/s]$
Acceleration	a	m/s <sup>2</sup>	
Acceleration due to gravity	g	m/s <sup>2</sup>	$g = 9.81 \text{ [m/s}^2]$
Travel total	$S_V$	mm	$sv = s_a + s'_a + s_c [mm]$
Accelerating (braking) distance	s <sub>a</sub> (s' <sub>a</sub> )	mm	$s_a(s_a') = \frac{a \cdot t_a^2 \cdot 10^3}{2} = \frac{v^2 \cdot 10^3}{2 \cdot a}$ [mm]
Travel where v = constant	S <sub>C</sub>	mm	$s_c = v \cdot t_c \cdot 10^3 [mm]$
Accelerating (braking) time	t <sub>a</sub> (t' <sub>a</sub> )	S	$t_a(t_a') = \frac{v}{a} = \sqrt{\frac{2 \cdot s_a}{a \cdot 1000}}  [s]$
Travel time where v = constant	t <sub>c</sub>	S	$t_c = \frac{s_c}{v \cdot 10^3}$ [s]
Travel time total	t <sub>v</sub>	S	$t_v = t_a + t_a' + t_c [s]$
Gear ratio	i		

## 6. Other Values/Abbreviations

Symbol	Designation	Unit	Calculation/Remarks
Angle of incline	α	o	for inclined conveying
Specific spring rate	C <sub>spec</sub>	N	Table value from calculation sheet
Spring rate of a belt Spring rate of a linear drive	c	N/mm	generally: $c = \frac{c_{spec}}{l}$ [N/mm] $c = \frac{l}{l_1 \cdot l_2} \cdot c_{spec}$ [N/mm]
Determine from extreme positions of linear drive $c_{min} \text{ for } I_1 = I_2$	C <sub>min</sub> /C <sub>max</sub>	N/mm	$c_{min} = \frac{4 \cdot c_{spec}}{I} [N/mm]$
Natural frequency	f <sub>e</sub>	s <sup>-1</sup>	$f_e = \frac{1}{2\pi} \cdot \sqrt{\frac{c \cdot 1000}{m_L}}  [s^{-1}]$
Exciter frequency	$f_0$	s <sup>-1</sup>	$f_0 = \frac{n}{60}$ [s <sup>-1</sup> ]
Tooth base service factor	S <sub>tooth</sub>		$S_{\text{tooth}} = F'_{\text{U}}/F'_{\text{U req}}$
Tension member service factor	$S_{tm}$		$S_{tm} = F_{per}/F_B$
Number of teeth	z		where i = 1
Number of teeth on small pulley	$z_1$		where i ≠ 1
Number of teeth on large pulley	$z_2$		where i ≠ 1
Minimum number of teeth	Z <sub>min</sub>		Table value from calculation sheet
Minimum take-up pulley diameter	$d_{smin}$	mm	Table value from calculation sheet
Power to be transmitted	Р	kW	$P = \frac{F_{U} \cdot n \cdot d_{0}}{19.1 \cdot 10^{6}} = \frac{F_{U} \cdot v}{10^{3}} [kW]$
Torque to be transmitted	Т	Nm	$T = \frac{F_U \cdot d_0}{2 \cdot 10^3}  [Nm]$
Timing belt open	AdV07		
Timing belt welded endless	AdV09		

## Calculation method for B 92 timing belts

$$F_U = \frac{2 \cdot 10^3 \cdot T}{d_0} = \frac{19.1 \cdot 10^6 \cdot P}{n \cdot d_0} = \frac{10^3 \cdot P}{v} \quad [N]$$

 $v = \frac{d_0 \cdot n}{19.1 \cdot 10^3}$  [m/s] with  $d_0 = \frac{z \cdot t}{\pi}$  [mm] and

or: Sum of all forces  $F_U = F_R + F_H + F_A ... [N]$ in which:  $F_R = m \cdot \mu \cdot g$  [N] frictional force

 $F_H = m \cdot g$  or  $m \cdot g \cdot \sin \alpha$  [N] lifting power

 $F_A = m \cdot a$  [N] accelerating force

Operational and acceleration factor c<sub>2</sub> and c<sub>3</sub> take from tables 2 and 3

 $F_{U \max} = F_{U} \cdot (c_2 + c_3)$  [N]

$$c_1 = z/2$$
 for  $i = 1$ 

$$c_1 = \frac{z_1}{180} \cdot arc \cos \frac{(z_2 - z_1) \cdot t}{2 \cdot \pi \cdot e}$$
 for  $i \neq 1$ 

Always round down calculated values for c<sub>1</sub> to the smaller round figure.

Note maximum values in table 1!

Estimate number of teeth if not given and determine n.

$$F'_{U req} = \frac{F_{U max}}{c_1} \quad [N]$$

Find F'<sub>U reg</sub> in the belt overview graph and move horizontally to the right to the point of intersection with the speed in question. All belt pitches which lie above this point can be used in principle.

Select belt type and find point of intersection on the calculation sheet for that particular type. The curve above the point of intersection gives the belt width  $b_0$  [mm]. The point where speed and width curve intersect gives the transmittable effective pull F'<sub>U</sub> [N].

$$I = 2 \cdot e + z \cdot t = 2 \cdot e + \pi \cdot d_0$$
 [mm] for  $i = 1$ 

$$I = \frac{t \cdot (z_2 - z_1)}{2} + 2e + \frac{1}{4e} \left[ \frac{t \cdot (z_2 - z_1)}{\pi} \right]^2 \quad [mm] \qquad \text{for } i \neq 1$$

I must always be an integral multiple of the belt pitch t in mm. Equations are valid for rotating 2-pulley drives. Calculate other designs according to their geometry.

 $m_R = m'_R \cdot I/1000$  [kg];  $m_{R'}$  from calculation sheet

For calculation see formulae.

Timing belt pulley measurements from catalogue.

Effective pull F<sub>U</sub> [N] to be transmitted

Maximum effective pull F<sub>U max</sub> [N]

Teeth in mesh factor c<sub>1</sub> for the

driving (smaller) pulley

Specific effective pull required F'<sub>U req</sub> [N]

Belt selection from graphs

 $F'_{U}[N]$  of selected belt type

Belt length I [mm]

Belt mass m<sub>R</sub> [kg]

Reduced mass of timing belt pulley and take-up pulleys  $m_{Z red}$ ,  $m_{S red}$  [kg].

## Calculation method for B 92 timing belts

## Check F<sub>U</sub> with F<sub>A</sub>

including m<sub>R</sub>,  $m_{Z\,red}$  and  $m_{S\,red}$ 

Repeat steps 1-4 if the influence of the belt mass must not be neglected; e.g. on linear drives with high acceleration.

## **Determining tooth base**

Pretensioning force [N]

**Determining tension member** service factor S<sub>tm</sub>

## Take-up range ∆e [mm]

Elongation at fitting ε approx. 0.1% For open material: Elongation at fitting ε approx. 0.2%)

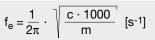
## (For endless belts:

#### Spring rate of entire system c [N/mm] and $c_{min}$ [N/mm]

Positioning deviation under influence of external force Δs [mm]

$$\Delta s = \frac{F}{c}$$
 [mm]

$$\Delta s_{max} = \frac{F}{c_{min}}$$
 [mm]



 $f_e \neq f_0$ There is then no danger of resonance.

 $f_0 = \frac{n}{60} [s^{-1}]$ 

## $S_{tooth} = \frac{F'_{U} \cdot c_{1}}{F_{U max}} = \frac{F'_{U}}{F_{U reg}}$ Demand: Stooth > 1

$$F_V > 0.5 \cdot F_{U \text{ max}} [N]$$
  
$$F_V > F_{U \text{ max}} [N]$$

for 2-pulley drives for linear drives

$$F_B = F_{U\;max} + F_{V}\left[N\right]$$

$$S_{tm} = \frac{F_{per}}{F_B}$$

Demand:  $s_{tm} > 1$ 

F<sub>per</sub> from calculation sheet

## Rotating 2-pulley drives and 2-pulley linear drive (AdV 07 clamped)

$$\Delta e = \frac{F_V \cdot I}{2 \cdot c_{spec}} \quad [mm]$$



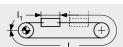
Clamped belt (AdV 07)

$$\Delta e = \frac{F_V \cdot I}{c_{spec}}$$
 [mm]



Steps 10 – 12 of calculation method only for linear drives as a rule!

$$c = \frac{1}{I_1 \cdot I_2} \cdot c_{\text{spec}} \text{ [N/mm]; } I = I_1 + I_2$$



 $c_{\text{min}}$  and  $c_{\text{max}}\,$  as per extreme right and left positions of slide.

$$c_{min} = \frac{4 \cdot c_{spec}}{I}$$
 [N/mm] for  $I_1 = I_2$ 

Exciter frequency: f<sub>0</sub> [s<sup>-1</sup>]

$$\frac{1}{6} - \frac{1}{2\pi}$$
  $\frac{1}{6}$   $\frac{1}{6}$   $\frac{1}{6}$   $\frac{1}{6}$ 

$$f_0 = \frac{n}{60}$$
 [s

## Linear drive for moving assembly carriers

Travel  $S_V = 2500 \text{ mm}$ 

Speed v = 3 m/s = const.; i = 1

Acceleration  $a = 15 \text{ m/s}^2$ Mass of slide  $m_L = 25 \text{ kg}$ 

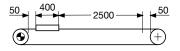
incl. assembly carrier + goods being carried

Frictional force of guide rails  $F_R = 80 \text{ N}$ 

 $\begin{array}{cc} \text{Slide length} & \quad I_L = 400 \text{ mm} \\ & \quad d_0 & \quad \text{approx. } 100 \text{ mm} \end{array}$ 

Required: Belt type and width  $b_0$ , RPM, timing belt pulley data, pretensioning force and take-up range, effective pull, positioning accuracy

## Diagram



 $F_U = F_A + F_R [N]$ 

 $F_A = 25 \text{ kg} \cdot 15 \text{ m/s}^2 = 375 \text{ N}$ 

 $F_U = 375 \text{ N} + 80 \text{ N} = 455 \text{ N}$ 

Mass of timing belt pulley and belt neglected.

Effective pull F<sub>U</sub> [N]

1

Effective pull  $F_U$  [N] to be transmitted – approximate.

 $c_2 = 1.4$  because of high acceleration

 $c_3 = 0$  as i = 1

455 N  $\cdot$  1.4 =  $F_{U max}$  = 637 N

Operational and acceleration  $c_2$  and  $c_3$ 

2

 $F_{U\,max}$  – approximate.

Selected:  $c_1 = 12$  for open material

Where  $d_0 \approx 100$  mm and  $c_1 = 12$   $Z_{min} = 24$ 

i.e. 14 und 20 mm pitches ruled out due to  $d_0!$ 

Teeth in mesh factor  $c_1$ 

 $F'_{U req} = \frac{F_{U max}}{c_1} = 53.08 \text{ N}$ 

 $n = \frac{v \cdot 19.1 \cdot 10^3}{d_0} = 573 \text{ min}^{-1}$ 

 $F'_{U\,req}$ 

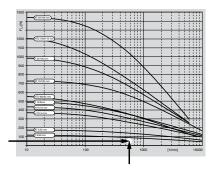
4

n from given values  $d_0$  and  $\nu$ 

## Linear drive for moving assembly carriers

#### **Belt selection**

For linear drives preferably use AT and HTD!
Possible types:
AT 5, AT 10, HTD 8M.

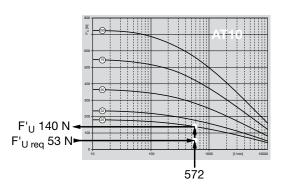


Overview graph

#### F'u of selected belt type

Selected: AT 10 because of high spring resistance; t = 10 mm.

 $F'_{U} = 140 \text{ N}$ 



AT 10 graph

## 5 Selecting timing belt pulley

 $d_0 = 100 \text{ mm}$ 

 $=> 100 \cdot \pi = 314 / t = 31.4 teeth$ 

Selected: Z = 32; standard pulley

Material aluminium;  $\rho = 2.7 \text{ kg/dm}^3$ 

 $d_0 = 32 \cdot t/\pi = 101.86 \text{ mm}$ 

therefore:

 $n = \frac{v \cdot 19.1 \cdot 10^3}{101.86} = 562 \text{ min}^{-1}$ 

Mass of timing belt pulley

 $d_K = 100 \text{ mm}$ ; d = 24 mm; b = 32 mm

 $\Rightarrow m_Z = \frac{(100^2 - 24^2) \cdot \pi \cdot 32 \cdot 2.7}{4 \cdot 10^6} = 0.64 \text{ kg}$ 

 $m_{Z \text{ red}} = \frac{0.64}{2} \cdot \left[ 1 + \frac{24^2}{100^2} \right] = 0.34 \text{ kg}$ 

Calculate belt length

 $I = 2 \cdot (2500 + 400 + 100 + d_0) - (400 - 2 \cdot 80) + z \cdot t$ 

I = 6283.7 mm => I = 6290 mm

from diagram and  $d_0$ ; clamping length  $I_K$  per belt end = 80 mm.

Reduced mass of timing belt pulley

 $m'_R = 0.064 \text{ kg/m} \cdot 2.5 \text{ cm} = 0.16 \text{ kg/m}$  $m_R = 1.00 \text{ kg}$ 

**Determining belt mass** 

8

 $F_A = (25 \text{ kg} + 1 \text{ kg} + 2 \cdot 0.34 \text{ kg}) \cdot a$ 

 $F_A = 400.2 \text{ N}$ 

 $F_U = 400.2 + 80 = 480 \text{ N}$ 

 $F_{U \text{ max}} = 480 \cdot 1.4 = 675 \text{ N}$ 

 $F'_{U req} = 56.02 N$ 

 $S_{tooth} = \frac{F'_U}{F'_{Ureq}} = \frac{140}{56.02} = 2.5 > 1$  Demand fulfilled

----

 $F_V \ge F_{U \text{ max}}$  for linear drives!  $F_V \text{ selected} = 1.5 F_{U \text{ max}} = 1000 \text{ N}$ 

 $F_B = F_V + F_{U max} = 1675 N$ 

 $S_{tm} = \frac{F_{per}}{F_B} = \frac{3750}{1675} = 2.24 > 1$  Demand fulfilled

 $\Delta e = \frac{F_V \cdot I}{2 \cdot c_{spec}} = \frac{1000 \text{ N} \cdot 6290 \text{ mm}}{2 \cdot 10^6 \text{ N}} = 3.14 \text{ mm}$ 

 $c_{min} = \frac{1}{l_1 \cdot l_2} \cdot c_{spec} = \frac{6290 - 2 \cdot 80}{2684 \cdot 3446} \cdot c_{spec} = 662.77 \text{ N/mm}$ 

 $c_{max} = \frac{1}{I_1 \cdot I_2} \cdot c_{spec} = \frac{6290 - 2 \cdot 80}{184 \cdot 5946} \cdot c_{spec} = 5602.96 \text{ N/mm}$ 

External force here:  $F_R = 80 \text{ N}$ 

 $\Delta s_{min} = \frac{F_R}{c_{max}} = 0.014 \text{ mm}$ 

 $\Delta s_{max} = \frac{F_R}{c_{min}} = 0.122 \text{ mm}$ 

 $f_e = \frac{1}{2\pi} \cdot \sqrt{\frac{c_{min} \cdot 1000}{m_L}} = 25.7 \text{ s}^{-1}$ 

 $f_0 = \frac{n}{60} = \frac{562}{60} = 9.4 \text{ s}^{-1}$  i.e. no danger of resonance

Timing belt 25 AT 10, 6290 mm long Timing belt pulley with Z=32 für 25 mm belt Take-up range to generate  $F_V$   $\Delta e=3.14$  mm n=562 min<sup>-1</sup>

 $\Delta s_{max} = 0.122 \text{ mm}$ 

F<sub>U max</sub> exact including m<sub>R</sub> and m<sub>Z red</sub>

6

Tooth base service factor S<sub>tooth</sub>

7

Force determining belt selection F<sub>B</sub>

8

Pretensioning force F<sub>V</sub>

Tension member service factor S<sub>tm</sub>

F<sub>per</sub> from calculation sheet for AT 10

Take-up range  $\Delta e$  [mm]  $c_{spec}$  from calculation sheet for AT 10

9

Spring rate of system  $c_{min}$ ;  $c_{max}$ 

10

 $I_1$  and  $I_2$  from diagram!

Positioning accuracy due to external force

11

Natural frequency of system

12

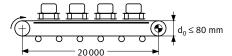
Exciter frequency

Result

If  $\Delta s_{max}$  has to be smaller, b<sub>0</sub> = 32 mm would be selected. No danger of resonance.

## Drag band conveyor for workpiece tray

#### Diagram



Speed v = 0.5 m/s

Mass of tray incl. load m = 1.8 kgMaximum loading 20 trays Belt support tight side Plastic rails Belt support slack side **Rollers** 

Centre distance e = 20000 mmStart Without load

> continuous operation, purely conveying Operation

Pulley diameter  $d_0 \le 80 \text{ mm}$ 

Required: Belt type, length, take-up range, timing belt pulley data

## Effective pull $F_U$ [N]

Effective pull  $F_U$  [N] to be transmitted without belt mass.  $F_U$  here =  $F_R$ , as acceleration negligible.

 $F_U = F_R = m \cdot \mu \cdot g$ 

μ selected approx. 0.25 from table 4

 $m = 20 \cdot 1.8 \text{ kg} = 36 \text{ kg}$ 

 $F_U = F_R = 36 \cdot 9.81 \cdot 0.25 = 88.3 \text{ N}$ 

 $c_3 = 0$ , as i = 1

 $c_2 = 1.2$  selected (20 % reserve)

 $F_{U \text{ max}} = 1.2 \cdot 8.3 \text{ N} = 106 \text{ N} \text{ for 2 belts}$ 

 $F_{U \text{ max}} = 53 \text{ N per belt}$ 

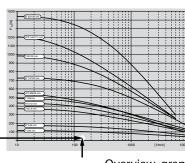
 $c_1$  selected =  $c_{1 \text{ max}}$  = 6 for AdV 09 Belt rotates and has been welded endless.

$$F'_{U req} = \frac{F_{U max}}{c_1} = 8.8 \text{ N}$$

Speed

where  $d_0 = 75 \text{ mm}$ 

$$n = \frac{v \cdot 19.1 \cdot 10^3}{75} = 127 \text{ min}^{-1}$$



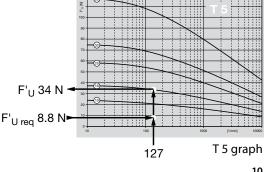
**Belt selection** 

The narrowest belt is already sufficient. Selected: 2 pieces 16 T 5. 16 mm width to provide greater support for tray.

Overview graph

#### F'<sub>U</sub> [N] of selected belt type





$\frac{d_0 \cdot \pi}{d_0 \cdot \pi} = Z = 47.1$	teeth
T	

Selecting timing belt pulley

5

Selected: Z = 48 teeth; standard pulley

$$I = Z \cdot t + 2 \cdot e = 40240 \text{ mm}$$

Belt length

$$m_R = I \cdot m'_R = 0.038 \text{ kg/m} \cdot 40.24 \text{ m} = 1.53 \text{ kg}$$

Belt mass

$$F_{U max} = F_R \cdot 1.2$$

 $F_R = (20 \cdot 1.8 \text{ kg} + 2 \cdot 1.53 \text{ kg}) \cdot 9.81 \cdot 0.25 = 95.8 \text{ N}$ 

 $F_{U \text{ max}} = 115 \text{ N} = 57.5 \text{ N/belt}$ 

If increase is negligible, further calculation unnecessary

F<sub>U max</sub> including m<sub>R</sub> of tight side

6

$$S_{tooth} = \frac{F'_U \cdot c_1}{F'_{U max}} = \frac{34 \cdot 6}{57.5} = 3.69 > 1$$
 Demand fulfilled

Tooth base service factor

Pretensioning force F<sub>V</sub>

7

 $F_V \ge 0.5 \cdot F_{U \text{ max}}$ Selected:  $F_V = 40 \text{ N}$ 

 $F_B = F_V + F_{U \text{ max}} = 40 + 57.5 = 97.5 \text{ N}$ 

 $1B - 1V + 10 \max - 40 + 37.3 - 97.3 10$ 

 $S_{tm} = \frac{F_{per}}{F_B} = \frac{270 \text{ N}}{97.5 \text{ N}} = 2.8 > 1$ 

Demand fulfilled

 $F_{per}$  from calculation sheet for 16 T5 Adv 09

Force determining belt selection F<sub>B</sub>

Tension member service factor S<sub>tm</sub>

 $\Delta e = \frac{F_V \cdot I}{2 \cdot c_{spec}} \qquad \qquad \text{with } c_{spec} = 0.12 \cdot 10^6 \, \text{from calculation sheet}$ 

 $\Delta e = \frac{40 \cdot 40240}{2 \cdot 0.12 \cdot 10^6} = 6.7 \text{ mm}$ 

Take-up range ∆e

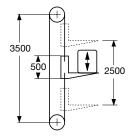
9

2 pieces timing belt type 16 T 5, 40240 mm long, AdV 09 Timing belt pulley with Z = 48 teeth for 16 mm belt Take-up range to generate  $F_V$   $\Delta e = 6.7$  mm

Result

## Lifting device

#### Diagram



Travel 2500 mm Speed 2 m/s

Medium acceleration/deceleration 4 m/s<sup>2</sup>
Max. deceleration (emergency shutdown) 10 m/s<sup>2</sup>
Slide mass with load 75 kg

No. of belts 2 pieces  $E_0 = 120$ 

Frictional force of guide rails  $F_R = 120 \text{ N}$ 

d<sub>0</sub> maximum 150 mm

Required: Belt type and length, pretensioning force, take-up range, speed. Rough operating conditions!

Effective pull F<sub>U</sub> [N]

Effective pull  $F_U$  [N] to be transmitted.

 $F_U = F_A + F_H + F_R + \dots$ 

 $F_R = 120 \text{ N}$ 

 $F_A = 75 \text{ kg} \cdot 4 \text{ m/s}^2 = 300 \text{ N}$ 

 $F_{A \text{ max}} = 75 \text{ kg} \cdot 10 \text{ m/s}^2 = 750 \text{ N}$  (emergency shutdown)

 $F_H = 75 \text{ kg} \cdot 9.81 \text{ m/s}^2 = 736 \text{ N}$ 

 $F_U = 120 \text{ N} + 736 \text{ N} + 750 \text{ N}$  (emergency braking during descent)

 $F_U = 1606 \text{ N}$ 

Operational factor c<sub>2</sub> Acceleration factor c<sub>3</sub>

 $c_3 = 0$  as i = 1

 $c_2 = 2.0$  because of rough operating conditions

 $F_{U max} = 1606 \cdot 2 = 3212 \text{ N}$  distributed between 2 belts

 $F_{U max}$ = 1606 N pro belt

3 Teeth in mesh factor c<sub>1</sub>

Open material:  $c_1 = 12 = c_{1 \text{ max}}$  for AdV 07 selected =>  $Z_{\text{min}} = 24$ ; t = 20 ruled out because of  $d_{0 \text{ max}}$ 

Specific effective pull required F'<sub>U req</sub>

 $F'_{U \text{ req}} = \frac{F_{U \text{ max}}}{12} = 133 \text{ N}$  per belt!

Speed

Where  $d_0 = 140 \text{ mm}$ 

 $n = \frac{v \cdot 19.1 \cdot 10^3}{d_0} = 273 \text{ min}^{-1}$ 

**Belt selection** 

All types between L and HTD 14M are possible.

Selected: HTD 14M because

of large reserves.

Designation: 40 HTD 14M

F'<sub>U</sub> 306 N F'<sub>U req</sub> 133 N

 $F'_{U}[N]$  of selected belt type

 $F'_{U} = 306 \text{ N}$ 

273

Overview graph

Selected: Z = 32; standard pulley =>  $n = 268 \text{ min}^{-1}$ 

 $I = 3500 \cdot 2 + Z \cdot t - 500 + 2 \cdot 114$ 

 $I = 7176 \text{ mm} \stackrel{\triangle}{=} 512.6 \text{ teeth}$ 

 $m'_{R} \cdot I = 0.44 \text{ kg/m} \cdot 7.168 \text{ m} = 3.155 \text{ kg/belt}$ 

 $m_Z = 6.17 \text{ kg}$  (catalogue values)  $d_K = 139.9 \text{ mm}$  (catalogue values) d = 24.0 mm (catalogue values)

 $m_{Z \text{ red}} = \frac{m_Z}{2} \cdot \left[ 1 + \frac{d^2}{d_K^2} \right] = 3.18 \text{ kg}$ 

gives in total:  $4 \cdot 3.18 = 12.7 \text{ kg}$ 

 $F_U = F_A + F_H + F_R$ 

 $F_H = 736 \text{ N}$ 

 $F_R = 120 \text{ N}$ 

 $F_A = (75 \text{ kg} + 12.7 \text{ kg} + 2 \cdot 3.155 \text{ kg}) \cdot 10 \text{ m/s}^2 = 940 \text{ N}$ 

 $F_U = 940 + 120 + 736 = 1800 \text{ N}$ 

 $F_{U max} = c_2 \cdot F_U = 3600 \text{ N}$ ; distributed between 2 belts

 $=> F_{U max} = 1800 N/belt$ 

 $F'_{U \text{ req}} = \frac{1800}{12} = 150 \text{ N}$ 

 $S_{tooth} = \frac{F'_U}{F'_{U req}} = \frac{310}{150} = 2.07 > 1$  Demand fulfilled

**Pulley selected** 

Belt length

Belt mass

Timing belt pulley data

Reduced mass of timing belt pulley

 $\boldsymbol{F}_{\boldsymbol{U}}$  with belt and pulley mass considered

6

Tooth base service factor Stooth

## Lifting device

Selecting pretensioning force

 $F_V \ge F_{U \text{ max}} = 1800$ Selected: 2000 N =  $F_V$ 

Force determining belt selection F<sub>B</sub>

 $F_B = F_{U max} + F_V = 3800 N$ 

Permissible force on each strand

 $F_{per} = 8500 \text{ N}$ 

Tension member service factor  $S_{tm}$ 

 $S_{tm} = \frac{F_{per}}{F_B} = \frac{8500}{3800} = 2.24 > 1$  Demand fulfilled

Take-up range Δe

 $c_{spec} = 2.12 \cdot 10^6 \text{ N}$ 

$$\Delta e = \frac{F_V \cdot I}{2 \cdot c_{spec}} = \frac{7168 \cdot 2000}{2 \cdot 2.12 \cdot 10^6} = 3.38 \text{ mm}$$

Result

Timing belt type 40 HTD 14M 7168 mm long = 512 teeth

Timing belt pulleys à 32 teeth for 40 mm wide belt Take-up range to generate force  $F_V$   $\Delta e = 3.38$  mm

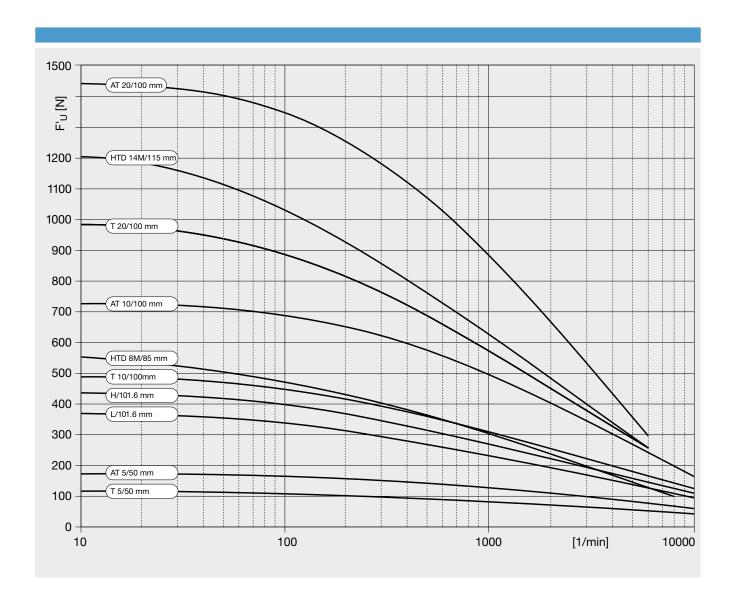
Safety note

In the case of lifting devices the regulations of professional/trade associations should be observed. If necessary, safety from breakage must be proven from the breaking load of the belt.

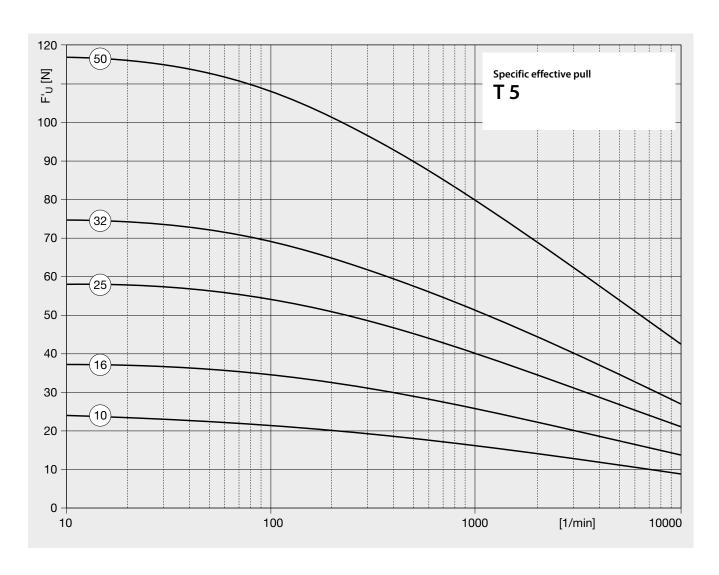
With open material AdV 07 this is approximately 4 times the permissible force on each strand  $\mathsf{F}_{\mathsf{per}}$ .

Exact values on request.

# Overview graph



# Timing belt type T 5



## Characteristic values: Type T 5 (steel tension member)\*

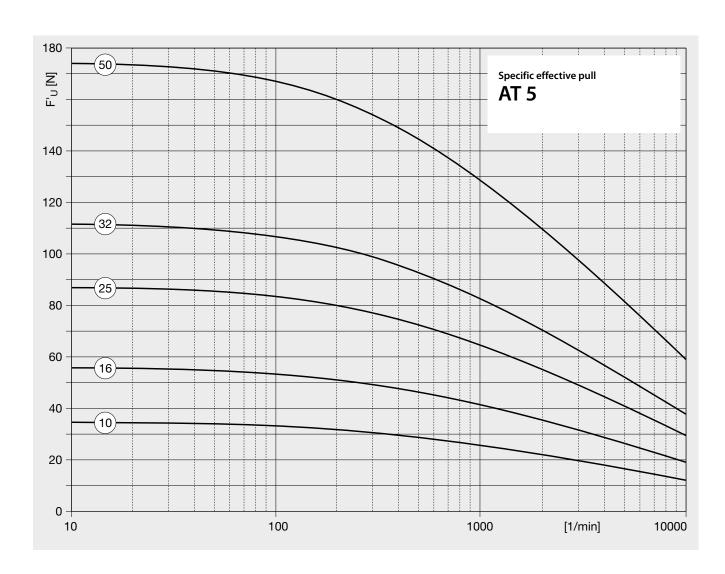
Value	b <sub>0</sub> [mm]	10	16	25	32	50
F <sub>per</sub> [N] AdV 09		150	230	410	460	830
F <sub>per</sub> [N] AdV 07		310	460	830	930	1660
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.08	0.12	0.19	0.24	0.38
m' <sub>R</sub> [kg/m]		0.024	0.038	0.06	0.077	0.12

## Characteristic values: Type T 5 (Kevlar tension member)\*

Value	$b_0$ [mm]	10	16	25	32	50
F <sub>per</sub> [N] AdV 09		210	300	490	600	900
F <sub>per</sub> [N] AdV 07		430	610	980	1200	1800
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.06	0.09	0.14	0.18	0.29
m' <sub>R</sub> [kg/m]		0.020	0.032	0.050	0.064	0.10

<sup>\*</sup>The specifications stated are empirical. Nevertheless, our specifications do not cover all applications on the market. It is the OEM's responsibility to check whether Forbo Siegling products are suitable for particular applications. The data provided is based on our in-house experience and does not necessarily correspond to product behaviour in industrial applications. Forbo Siegling cannot assume any liability for the suitability and reliability in different processes of its products. Furthermore, we accept no liability for the results produced in processes, damage or consequential damage in conjunction with the usage of our products.

# Timing belt type AT 5



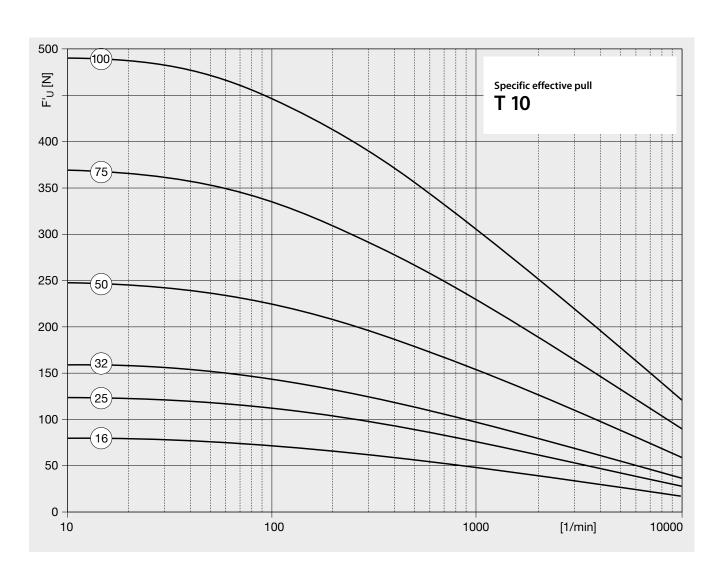
## Characteristic values: Type AT 5 (steel tension member)\*

Value	b <sub>0</sub> [mm]	10	16	25	32	50	
F <sub>per</sub> [N] AdV 09		320	560	920	1120	1840	
F <sub>per</sub> [N] AdV 07		640	1120	1840	2240	3680	
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.17	0.27	0.42	0.54	0.84	
m' <sub>R</sub> [kg/m]		0.03	0.048	0.075	0.096	0.15	

## Characteristic values: Type AT 5 (Kevlar tension member)\*

Value	b <sub>0</sub> [mm]	10	16	25	32	50
F <sub>per</sub> [N] AdV 09		341	568	908	1172	1851
F <sub>per</sub> [N] AdV 07		455	757	1210	1562	2468
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.13	0.20	0.32	0.41	0.63
m' <sub>R</sub> [kg/m]		0.027	0.043	0.068	0.086	0.135

# Timing belt type T 10



## Characteristic values: Type T 10 (steel tension member)\*

Value	b <sub>0</sub> [mm]	16	25	32	50	75	100	
F <sub>per</sub> [N] AdV 09		650	1100	1300	2200	3300	4400	
F <sub>per</sub> [N] AdV 07		1300	2200	2600	4400	6600	8800	
$C_{\rm spec}$ [N] $\cdot$ 10 <sup>6</sup>		0.32	0.5	0.64	1.0	1.5	2.0	
m' <sub>R</sub> [kg/m]		0.077	0.12	0.154	0.24	0.36	0.48	

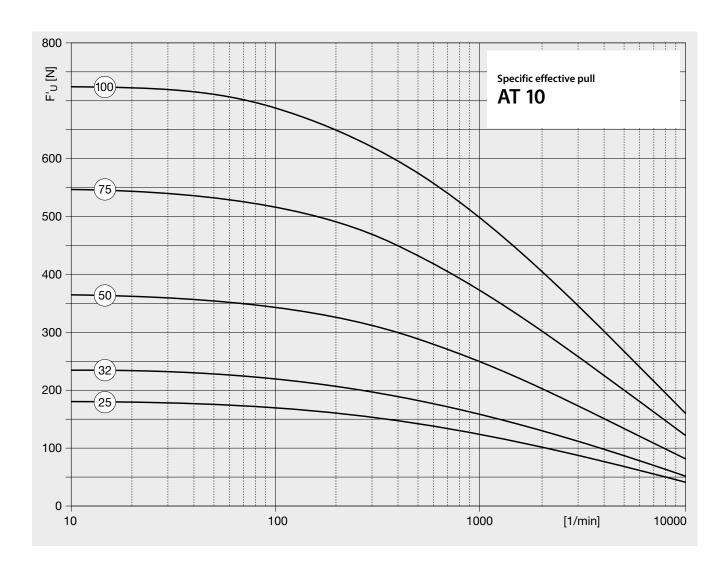
## Characteristic values: Type T 10 (Kevlar tension member)\*

Value	$b_0$ [mm]	16	25	32	50	75	100
F <sub>per</sub> [N] AdV 09		500	870	1170	1980	2450	3350
F <sub>per</sub> [N] AdV 07		1000	1750	2350	3970	4900	6700
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.24	0.38	0.48	0.75	1.13	1.5
m' <sub>R</sub> [kg/m]		0.064	0.10	0.128	0.20	0.30	0.40

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<sup>\*</sup> See comment on page 16

# Timing belt type AT 10



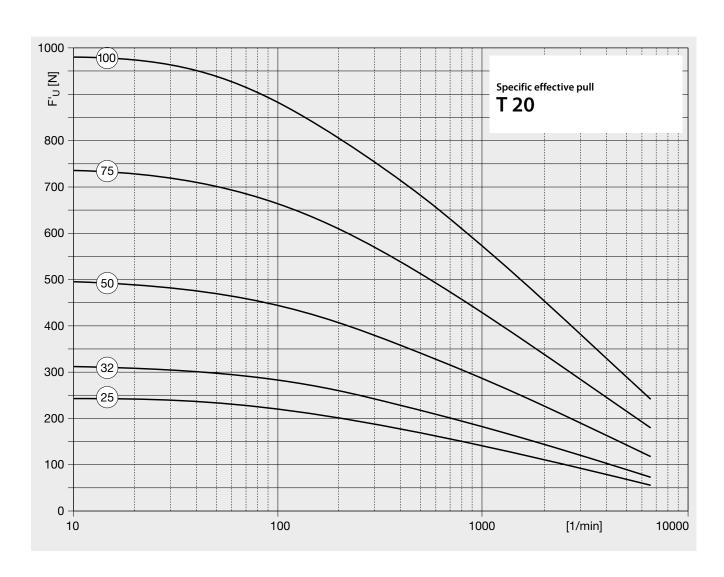
## Characteristic values: Type AT 10 (steel tension member)\*

Value	$b_0$ [mm]	25	32	50	75	100
F <sub>per</sub> [N] AdV 09		1920	2280	3840	5760	7680
F <sub>per</sub> [N] AdV 07		3840	4560	7680	11520	15360
C <sub>spec</sub> [N] · 10 <sup>6</sup>		1.0	1.28	2.0	3.0	4.0
m' <sub>R</sub> [kg/m]		0.16	0.205	0.32	0.48	0.64

## Characteristic values: Type AT 10 (Kevlar tension member)\*

Value	b <sub>0</sub> [mm]	25	32	50	75	100
F <sub>per</sub> [N] AdV 09		1313	1705	2713	4113	5513
F <sub>per</sub> [N] AdV 07		1750	2273	3617	5483	7350
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.75	0.96	1.5	2.25	3.0
m' <sub>R</sub> [kg/m]		0.105	0.134	0.210	0.315	0.420

# Timing belt type T 20



## Characteristic values: Type T 20 (steel tension member)\*

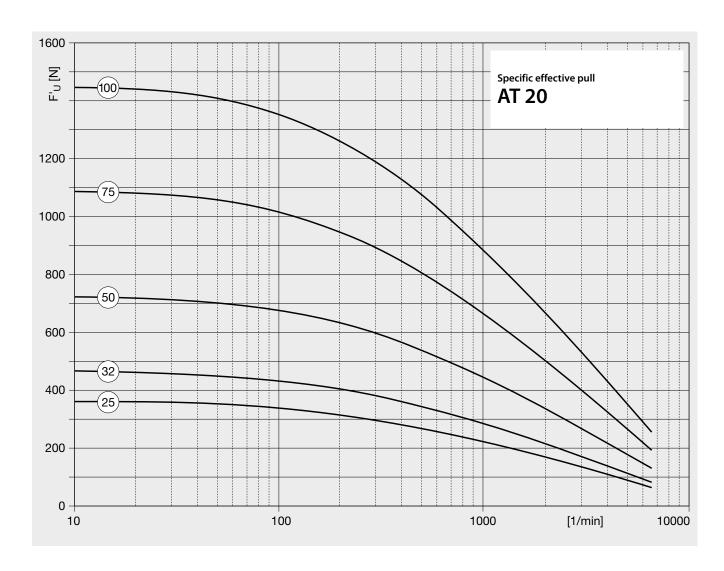
Value	$b_0$ [mm]	25	32	50	75	100
F <sub>per</sub> [N] AdV 09		1680	2160	3360	5040	6720
F <sub>per</sub> [N] AdV 07		3360	4320	6720	10080	13440
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.88	1.32	1.75	2.63	3.5
m' <sub>R</sub> [kg/m]		0.193	0.246	0.385	0.578	0.77

## Characteristic values: Type T 20 (Kevlar tension member)\*

Value	$b_0$ [mm]	25	32	50	75	100
F <sub>per</sub> [N] AdV 09		1450	1870	2850	4200	5500
F <sub>per</sub> [N] AdV 07		2900	3750	5700	8400	11000
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.66	0.99	1.31	1.97	2.63
m' <sub>R</sub> [kg/m]		0.16	0.205	0.32	0.48	0.64

<sup>\*</sup> See comment on page 16

# Timing belt type AT 20



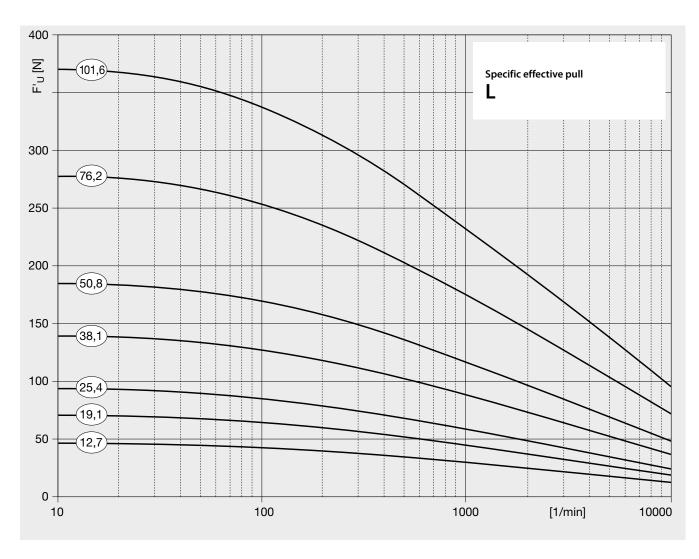
## Characteristic values: Type AT 20 (steel tension member)\*

Value	$b_0$ [mm]	25	32	50	75	100
F <sub>per</sub> [N] AdV 09		3300	4400	6600	9900	13200
F <sub>per</sub> [N] AdV 07		6600	8800	13200	19800	26400
C <sub>spec</sub> [N] · 10 <sup>6</sup>		1.56	2.00	3.13	4.69	6.25
$m'_{R}[kg/m]$		0.25	0.32	0.50	0.75	1.0

## Characteristic values: Type AT 20 (Kevlar tension member)\*

Value	$b_0$ [mm]	25	32	50	75	100
F <sub>per</sub> [N] AdV 09		1313	1706	2719	4125	5531
F <sub>per</sub> [N] AdV 07		1750	2275	3625	5500	7375
C <sub>spec</sub> [N] · 10 <sup>6</sup>		1.17	1.5	2.35	3.52	4.69
m' <sub>R</sub> [kg/m]		0.183	0.234	0.365	0.548	0.730

# Timing belt type L = 3/8" $\stackrel{\frown}{=} t = 9.525$ mm

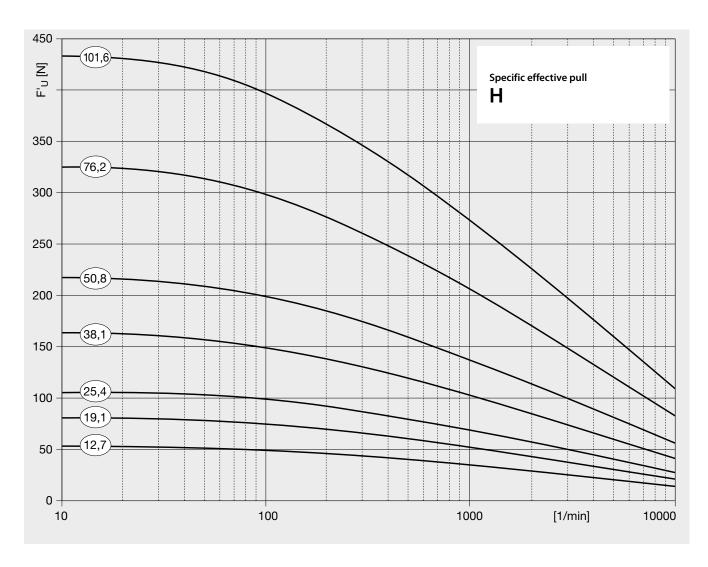


Characteristic va	aracteristic values: Type L = 3/8" (steel tension member)*										
Value	$b_0$ [mm]	12.7	19.1	25.4	38.1	50.8	76.2	101.6			
F <sub>per</sub> [N] AdV 09		550	800	1100	1600	2200	3300	4400			
F <sub>per</sub> [N] AdV 07		1100	1600	2200	3200	4400	6600	8800			
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.25	0.38	0.5	0.75	1.0	1.5	2.0			
m' <sub>R</sub> [kg/m]		0.05	0.074	0.099	0.149	0.198	0.297	0.396			

Characteristic	aracteristic values: Type L = 3/8" (Kevlar tension member)*											
Value	b <sub>0</sub> [mm]	12.7	19.1	25.4	38.1	50.8	76.2	101.6				
F <sub>per</sub> [N] AdV 09		410	620	830	1240	1660	2480	3320				
F <sub>per</sub> [N] AdV 07		830	1250	1600	2480	3320	4960	6640				
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.19	0.29	0.38	0.56	0.75	1.13	1.5				
m' <sub>R</sub> [kg/m]		0.041	0.061	0.081	0.122	0.163	0.244	0.325				

<sup>\*</sup> See comment on page 16

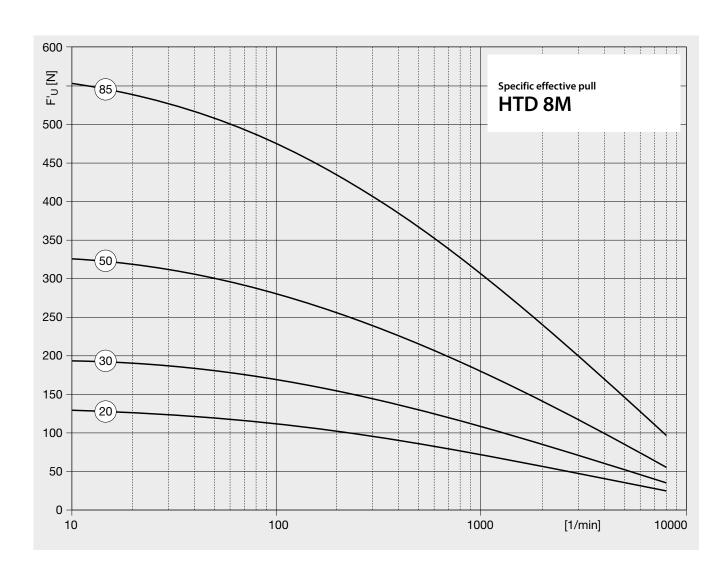
# Timing belt type $H = 1/2" \stackrel{\triangle}{=} t = 12.7 \text{ mm}$



#### Characteristic values: Type H = 1/2" (steel tension member)\* Value 12.7 38.1 50.8 101.6 19.1 25.4 76.2 F<sub>per</sub> [N] AdV 09 500 800 1100 1600 2200 3300 4400 F<sub>per</sub> [N] AdV 07 C<sub>spec</sub> [N] · 10<sup>6</sup> m'<sub>R</sub> [kg/m] 1000 1600 2200 3200 4400 6600 8800 0.25 0.38 0.5 0.75 1.0 2.0 1.5 0.057 0.086 0.114 0.171 0.229 0.343 0.457

Characteristic	aracteristic values: Type H = 1/2" (Kevlar tension member)*											
Value	b <sub>0</sub> [mm]	12.7	19.1	25.4	38.1	50.8	76.2	101.6				
F <sub>per</sub> [N] AdV 09	)	410	620	830	1240	1660	2450	3150				
F <sub>per</sub> [N] AdV 07	7	830	1250	1660	2480	3320	4900	6300				
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.19	0.29	0.38	0.56	0.75	1.13	1.5				
m' <sub>R</sub> [kg/m]		0.044	0.067	0.089	0.133	0.178	0.267	0.356				

# Timing belt type HTD 8M



## Characteristic values: Type HTD 8M (steel tension member)\*

Value	b <sub>0</sub> [mm]	20	30	50	85
F <sub>per</sub> [N] AdV 0	9	1440	2400	3840	7320
F <sub>per</sub> [N] AdV 0		2880	4800	7680	14640
$C_{\rm spec}$ [N] $\cdot$ 10 <sup>6</sup>		0.7	1.05	1.75	2.98
$m'_{R}[kg/m]$		0.138	0.207	0.345	0.587

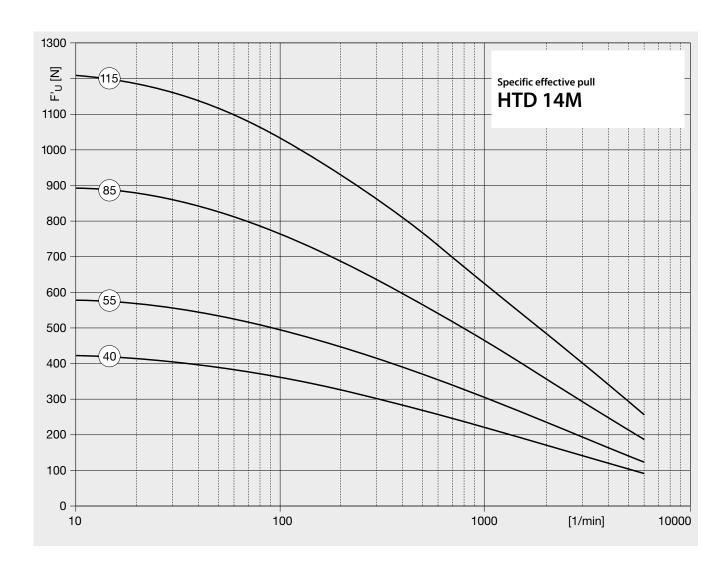
## Characteristic values: Type HTD 8M (Kevlar tension member)\*

Value	$b_0$ [mm]	20	30	50	85
F <sub>per</sub> [N] AdV 09		1033	1593	2713	4673
F <sub>per</sub> [N] AdV 07		1377	2123	3617	6230
C <sub>spec</sub> [N] · 10 <sup>6</sup>		0.53	0.79	1.31	2.24
m' <sub>R</sub> [kg/m]		0.094	0.142	0.236	0.400

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<sup>\*</sup> See comment on page 16

# Timing belt type HTD 14M



## Characteristic values: Type HTD 14M (steel tension member)\*

Value	$b_0$ [mm]	40	55	85	115
F <sub>per</sub> [N] AdV 09		5500	7970	12650	17600
F <sub>per</sub> [N] AdV 07		11000	15950	25300	35200
C <sub>spec</sub> [N] · 10 <sup>6</sup>		2.12	2.92	4.51	5.83
m' <sub>R</sub> [kg/m]		0.44	0.605	0.935	1.265

## Characteristic values: Type HTD 14M (Kevlar tension member)\*

Value	$b_0$ [mm]	40	55	85	115
F <sub>per</sub> [N] AdV 09		1874	2612	4087	5562
F <sub>per</sub> [N] AdV 07		2499	3482	5449	7416
C <sub>spec</sub> [N] · 10 <sup>6</sup>		1.59	2.19	3.38	4.37
m' <sub>R</sub> [kg/m]		0.336	0.462	0.714	0.966

## **Tables**

## Table 1 Teeth in mesh factor $c_1$

Application	c₁ max	
	•	
W-1-111111100		
Welded belts AdV 09	6	
Open belts AdV 07	12	
•		
Linear drives with higher		
positioning accuracy	4	

 $c_1$  = Number of teeth involved in power flux

#### Table 2 Operational factor c<sub>2</sub>

Smooth operating conditions	c <sub>2</sub> = 1.0	
Short-term overload < 35 %	$c_2 = 1.10 - 1.35$	
Short-term overload < 70 %	$c_2 = 1.40 - 1.70$	
Short-term overload < 100%	$c_2 = 1.75 - 2.00$	

#### Table 3 Acceleration factor c<sub>3</sub>

Transmission ratio i	C <sub>3</sub>	
i > 1 to 1.5	0.1	
i > 1.5 to 2.5	0.2	
i > 2.5 to 3.5	0.3	
i > 3.5	0.4	

#### Table 4 Friction coefficients of timing belts

μ	PU	PAZ	PAR
Bed/rail	0.5	0.2 – 0.3	0.2 – 0.3
Plastic support rail	0.2 – 0.3	0.2 – 0.25	0.2 – 0.25
Accumulation	0.5	0.2 - 0.3	0.2 - 0.3

All values are guidelines PU = polyurethane PAZ = polyamide fabric on toothed side PAR = polyamide fabric on back of belt

## Resistances

Chemical	Resistance
Acetic acid 20%	О
Acetone	О
Aluminium chloride, aqueous 5	% •
Ammonia 10%	•
Aniline	-
ASTM oil 1	•
ASTM oil 2	•
ASTM oil 3	О
Benzol	О
Butyl acetate	-
Butyl alcohol	О
Carbon tetrachloride	-
Common salt solution, conc.	•
Cyclohexanol	О
Diesel oil	•
Dimethyl formamide	-
Ethyl acetate	-
Ethyl alcohol	О
Ethyl ether	•
Hydrochloric acid 20%	О
Iron chloride, aqueous 5%	О
Isopropyl alcohol	О
Kerosine	•

Chemical	Resistance
Lubricating grease (sodium soap fat)	•
Methyl alcohol	О
Methyl alcohol/Benzine 15-85	•
Methyl ethyl ketone	О
Methylene chloride	-
Mineral oil	•
n-Heptane	•
n-Methyl-2-pyrrolidone	-
Nitric acid 20%	-
Petrol, regular	•
Petrol, super	•
Potash lye 1 N	О
Sea water	•
Soda Iye 1 N	О
Sodium chloride solution, conc.	•
Sodium soap fat	•
Sodium soap fat + 20 % water	О
Sulphuric acid 20%	О
Tetrahydrofurane	-
Toluene	-
Trichloroethylene	-
Water	•

Table 5 Chemical resistance at room temperature

# Symbols = good resistance = limited resistance; slight weight and dimensional changes after a certain period of time = no resistance

Because our products are used in so many applications and because of the individual factors involved, our operating instructions, details and information on the suitability and use of the products are only general guidelines and do not absolve the ordering party from carrying out checks and tests themselves. When we provide technical support on the application, the ordering party bears the risk of the machinery functioning properly.



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